## TOWARDS A FORMAL DESCRIPTION OF NPI LICENSING PATTERNS

## NEGATIVE POLARITY ITEMS

Based on Giannakidou and Zeijlstra's (2016) definition:

**Definition 1** An expression  $\alpha$  is a negative polarity item, if it is not licensed in positive declarative clauses, but it is licensed in their negative counterpart.

<sup>4</sup> John has read anything. a. John hasn't read anything.

## CROSS-LINGUISTIC PATTERNS

	Negation must c-	Local licensing
	command NPI	required
English	yes	no
Hungarian	no	yes
Table 1: Summary of English and Hungarian NPI patterns.		

## English

- John didn't see anybody. (2)a.
  - b. \*Anybody didn't see John.
  - c. \*Nobody's children saw anybody.
  - John didn't think [that Charlie saw [that Mary stole anything.
- a.  $c-com(x,y) \equiv \neg (x \triangleright^+ y) \land x \not\approx y \land \forall z [z \triangleright^+ x \rightarrow z \triangleright^+ y]$ (3)
  - b. English NPI-licensing constraint:

 $\forall y [\operatorname{NPI}_{\operatorname{eng}}(y) \to \exists x [\operatorname{c-com}(x, y) \land \operatorname{neg}_{\operatorname{eng}}(x)]]$ 

### Hungarian

- (4)Jancsi nem látott senkit. a. Jancsi NEG saw NPI.ACC 'Jancsi didn't see anybody.'
  - Senki nem akart el jönni. b. NPI NEG want.PST PRT come.INF 'Nobody wanted to come.'
  - \* Jancsi nem tudta, hogy Mari semmit olvasott. C. Jancsi NEG knew that Mari NPI.ACC read 'Jancsi didn't know that Mari read anything.'
- a. closest-CP $(x, y) \equiv$  CP $(x) \land x \triangleright^* y \land \neg \exists z [CP(z) \land x \triangleright * + z \land$ (5) $z \triangleright^* y$ 
  - b. Hungarian NPI-licensing constraint:  $\exists (x,z) [\texttt{closest-CP}(x,y)]$  $\forall (y) [\texttt{NPI}_{\texttt{hun}}(y)]$  $\rightarrow$  $\texttt{closest-CP}(x,z) \land \texttt{neg}_{hun}(z)$ ]

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## GENERALIZED TSL-2 TREES

▶ Trees that are strictly 2-local over **dominance**:  $TSL_2^{\triangleright}$  $G = \langle T, T_{Cat}, H, \gamma \rangle$ , where: •  $T \subset \Sigma$  is the finite set of tier-nodes  $\blacktriangleright T_{Cat} = (T \cap \Sigma_{Cat})$  $\blacktriangleright$  H is a set of string-based grammars  $\mathbf{P} \gamma : T_{Cat} \times H$  is a bijection that maps every node labeled  $\kappa \in T_{Cat}$  to a string-based grammar  $h \in H$ Figure 1: Grammar of tier-trees  $\blacktriangleright$  For definitions of subregular string languages, see Heinz et al. (2011), Rogers and Pullum (2011), and Rogers et al. (2013)

ing

ENGLISH NPI-LICENSING

- ► English NPI-licensing is NOT  $TSL_2^{\triangleright}$ , because c-command cannot be described with it. There is no definable tier that
- $\blacktriangleright$  Discriminates between (6) and (7), AND
- ► Results in tier-tress of *finite* depth

The girl, (that X said)<sup>n</sup> that John didn't see, read anything. (6)







• Hungarian NPI-licensing is  $TSL_2^{\triangleright}$ 

- $T = \{ neg_{hun}, NPI_{hun}, CP \}$
- $\blacktriangleright T_{Cat} = \{ \mathsf{CP} \}.$
- TSL
- ► It is NOT Strictly Local or Tier-based Strictly Local: neg.
- ► It is Locally Testable (8)  $h_{CP} = (\forall x \exists y) [\operatorname{NPI}_{hun}(x) \to \operatorname{neg}_{hun}(y)]$

nég NPI NPI NPI neg

Figure 2: Well-formed tier-trees for Hungarian NPI-licensing

CP CP NPI NPI NPI NPI NPI NPI Figure 3: Ill-formed tier-trees for Hungarian NPI-licensing

- undefined over precedence relations
- precedence relations in the tier-tree
- English is not  $TSL_2^{\triangleright}$

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## HUNGARIAN NPI-LICENSING

►  $h_{CP}$  (the string-language dominated by **CP**) is Locally Testable, and NOT SL or

If  $h_{CP}$  were SL, we would be able to ban a set of k-factors to successfully exclude the ill-formed trees. This is not possible for any k. For any k-factor that successfully bans a string of k-length that consists of only NPIs, there is a well-formed string of length k+1, whose k+1-th member is

## NPI neg

CP

## CONCLUSIONS

▶ Defined  $TSL_2^{\triangleright}$ , a tree language that is  $TSL_2$  over dominance, and ► Implicational rules in syntax cannot be described with TSL tree-languages in the sense of Graf and Heinz (2015) ► Showed that Hungarian is  $TSL_2^{\triangleright}$ , with LT string-language over

## REFERENCES

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